

Two portals to GeV sterile neutrinos: dipole vs mixing

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Motivations: mixing portal

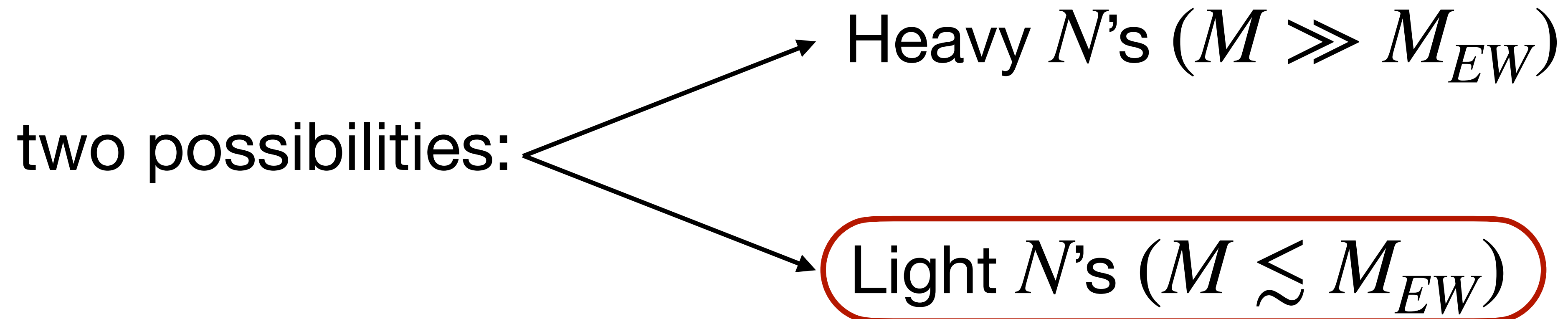
Motivation

- ν 's have masses
- The simplest (?) way to generate m_ν is to add sterile (RH) neutrinos: N_i
- How many? At least 2 (to generate solar and atmospheric mass differences)

minimal model on which we will focus



Motivation



our focus (advantage: can be directly probed)

The ν SM

$$\mathcal{L}_{\nu SM} = \mathcal{L}_{SM} + iN_i^\dagger \bar{\sigma}^\mu \partial_\mu N_i - \frac{1}{2} \mu_i N_i N_i - MN_1 N_2 + h.c. \\ - Y_N^i (\tilde{H}^\dagger L) N_i$$

Yukawa interactions
(mixing)

Majorana masses

Dirac mass

The ν SM

$$\mathcal{L}_{\nu SM} = \mathcal{L}_{SM} + iN_i^\dagger \bar{\sigma}^\mu \partial_\mu N_i - \frac{1}{2} \mu_i N_i N_i - MN_1 N_2 + h.c. \\ - Y_N^i (\tilde{H}^\dagger L) N_i$$

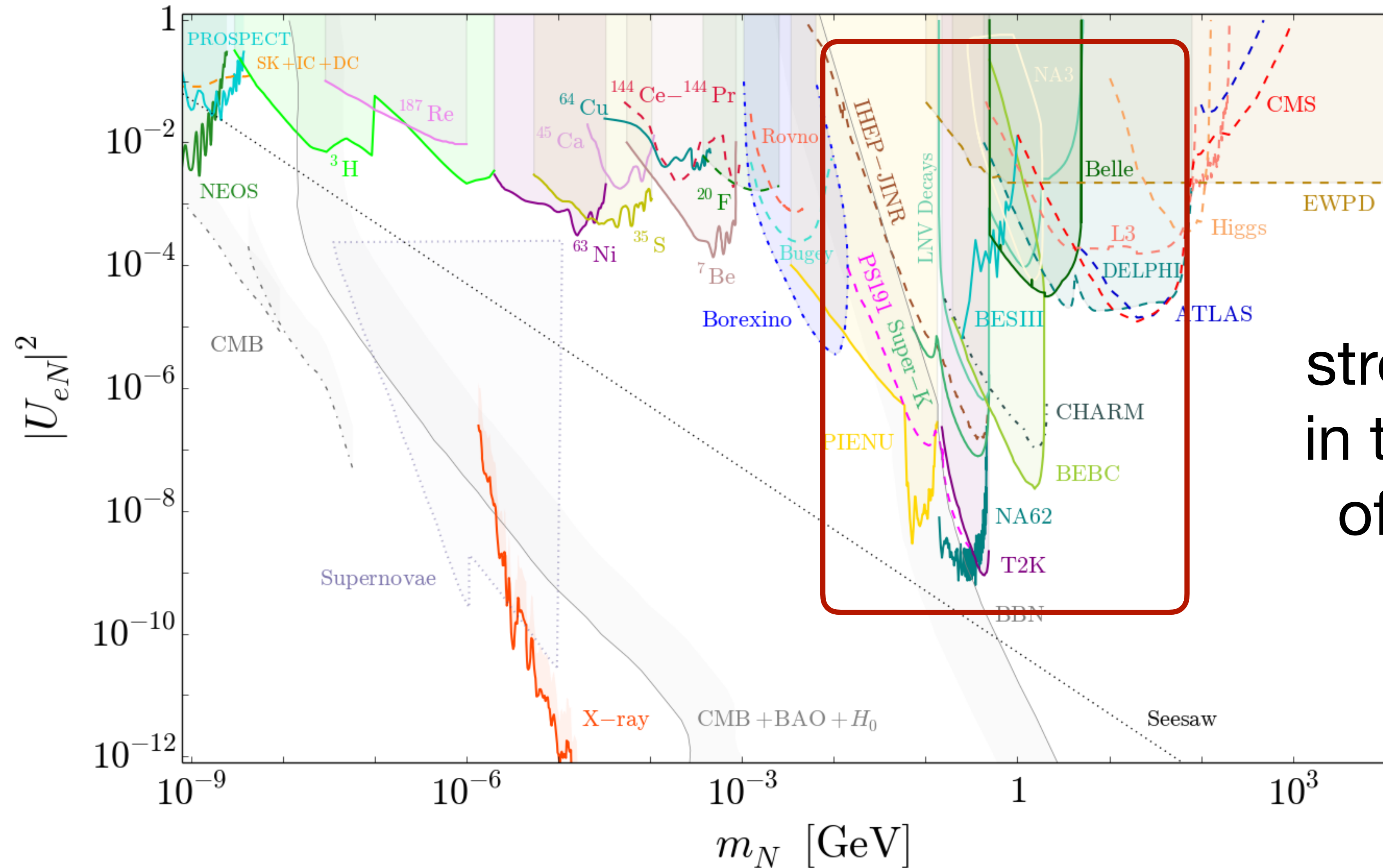
generates neutrino masses and mixings
via seesaw

$$m_\nu \simeq - \frac{(Y_N^i v)^2}{M_i}$$

$$\theta \simeq - \frac{Y_N^i v}{M_i}$$

Current limits

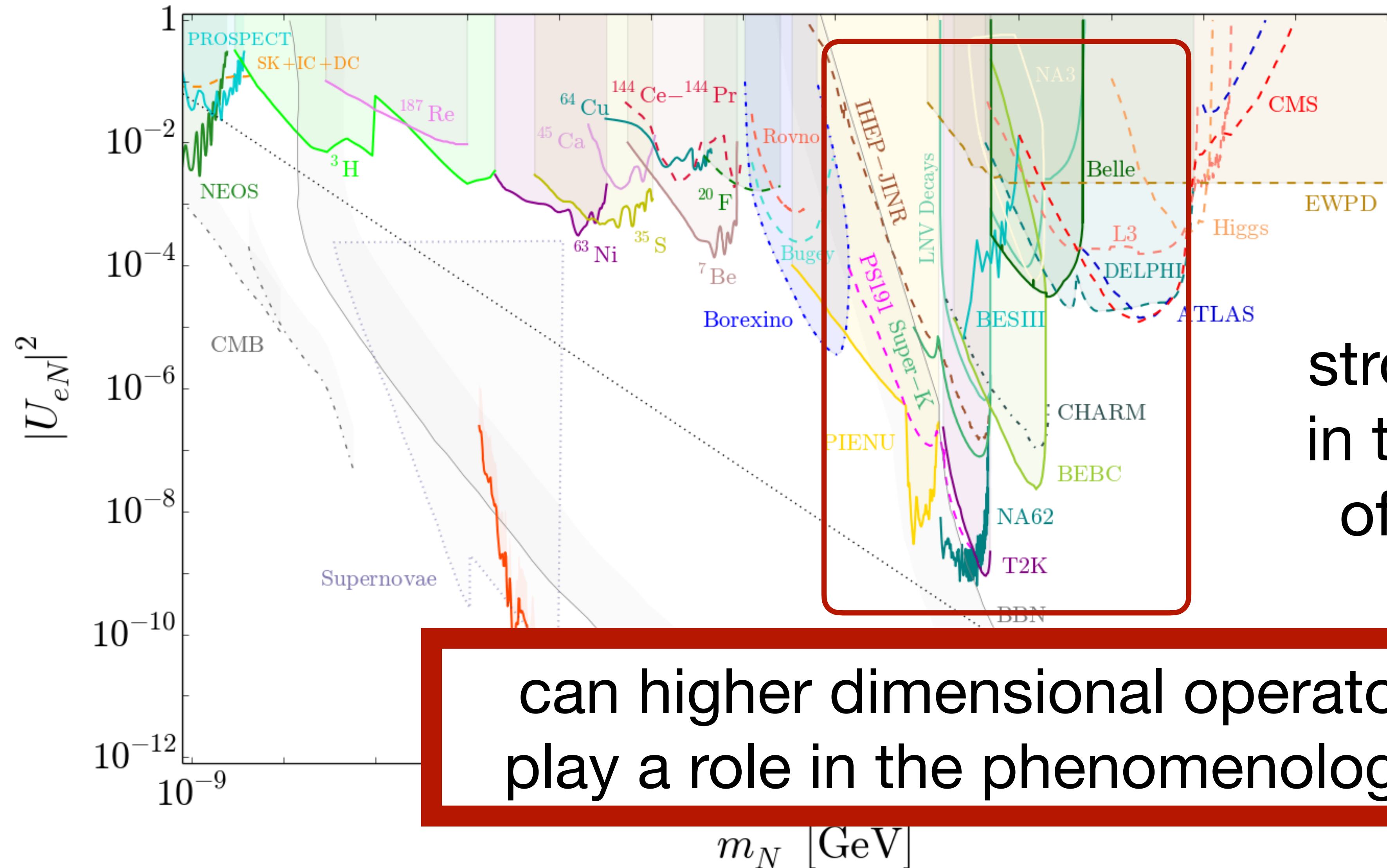
See reviews <https://www.hep.ucl.ac.uk/~pbolton/>
2203.08039



strong limits
in the region
of interest

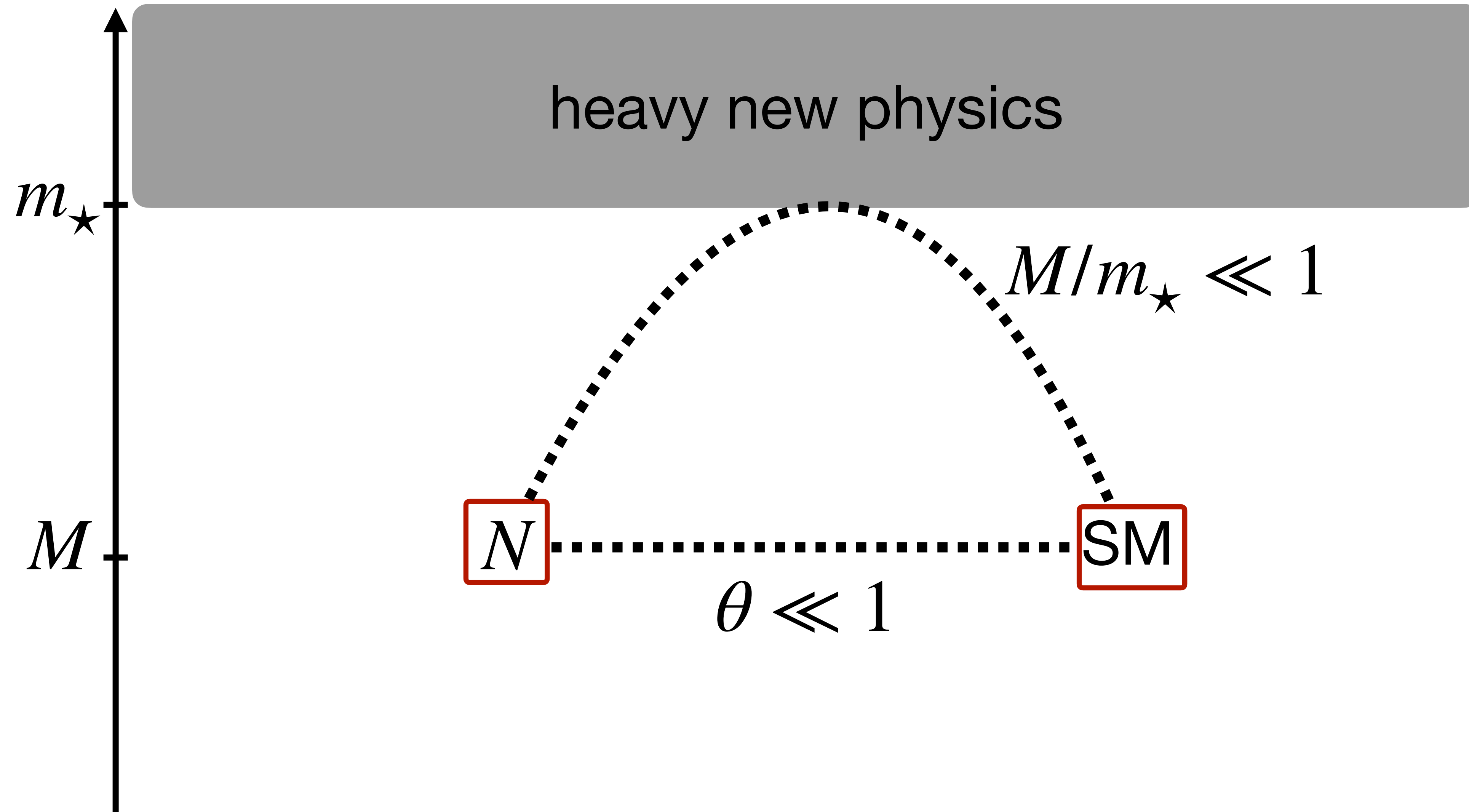
Current limits

See reviews <https://www.hep.ucl.ac.uk/~pbolton/>
2203.08039



strong limits
in the region
of interest

can higher dimensional operators
play a role in the phenomenology?



The dipole portal

Operators

At dimension 5:

- Weinberg operator $(LH)^2$ (de-correlates m_ν from M)
- $H^\dagger H N N$: Higgs physics + N mass
- $N \sigma^{\mu\nu} N B_{\mu\nu}$: dipole operator (may be important at low energy)

see
Aparici, Kim, Santamaria, Wudka'09

Operators

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The dipole

$$\mathcal{L}_{dipole} = d N_1 \sigma^{\mu\nu} N_2 B_{\mu\nu} = \frac{d}{2} \vec{N}_a \sigma^{\mu\nu} \epsilon^{ab} \vec{N}_b B_{\mu\nu} \quad \vec{N} = \begin{pmatrix} N_1 \\ N_2 \end{pmatrix}$$

power counting estimate:

$$d \sim \frac{g' g_\star^2}{16\pi^2 m_\star}$$

how large can the dipole be?

The dipole

$$\vec{N} = \begin{pmatrix} N_1 \\ N_2 \end{pmatrix}$$

Symmetries give us a useful guidance:

$$\mathcal{L}_{kin} = i\vec{N}^\dagger \vec{\sigma}^\mu \partial_\mu \vec{N}$$

$$\begin{aligned} \vec{N} &\rightarrow V_N \vec{N} \\ \vec{N} &\rightarrow e^{i\alpha_N} \vec{N} \end{aligned}$$

$$SU(2)_N \times U(1)_N$$

$$\mathcal{L}_{dipole} = \frac{d}{2} \vec{N}_a \sigma^{\mu\nu} \epsilon^{ab} \vec{N}_b B_{\mu\nu}$$

$$\begin{aligned} \vec{N} &\rightarrow V_N \vec{N} \\ \vec{N} &\rightarrow e^{i\alpha_N} \vec{N} \end{aligned}$$

$$SU(2)_N$$

The dipole

Symmetries give us a useful guidance:

$$\mathcal{L}_{mass} = \mathcal{M}_{ij} N_i N_j \quad \mathcal{M} \sim 3 \text{ of } SU(2)_N$$

$$\mathcal{M}_{ij} \in \mathbb{R} \iff U(1)'_N \subset SU(2)_N \text{ preserved}$$

$$\mathcal{M}_{ij} \in \mathbb{C} \iff SU(2)_N \text{ completely broken}$$

The dipole

when $U(1)'_N \subset SU(2)_N$ preserved

- can always assign $q(N_1) = 1 = -q(N_2)$
- $N_{1,2}$ combine in a Dirac pair (= 2 degenerate Majoranas)
- can be extended to $q(L) = -1 \Rightarrow U(1)'_N \simeq U(1)_L$
 \Downarrow
 $m_\nu = 0$

The dipole

when $U(1)'_N \subset SU(2)_N$ broken

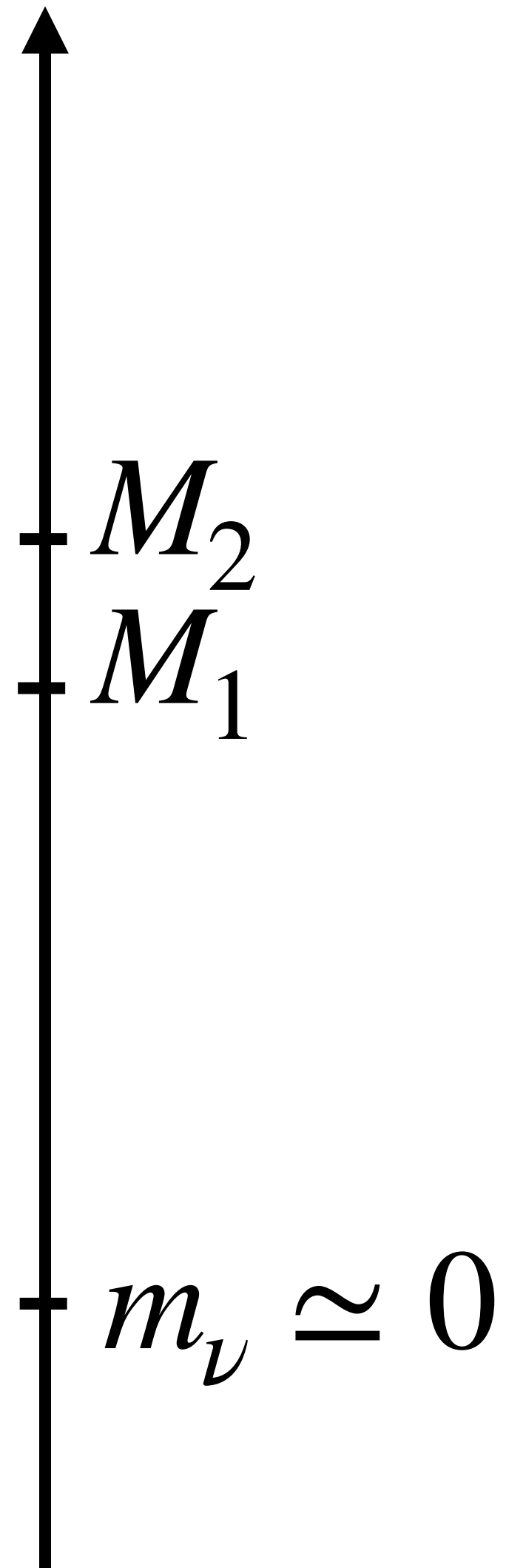
- Lepton number broken
- $N_{1,2}$ are two non-degenerate Majorana fermions

The dipole

How large can the dipole be?

- Dipole can be as large as perturbativity allows
- $M_{1,2}$ small is technically natural
(when $M_{1,2} = 0$ we recover $SU(2)_N$)
- $M_2 - M_1 \ll M_{1,2}$ also technically natural
(when $M_1 = M_2$ we recover $U(1)'_N \simeq U(1)_L$)

Spectrum



$$\delta = \frac{M_2 - M_1}{M_2 + M_1}$$

useful quantity:
relative mass splitting

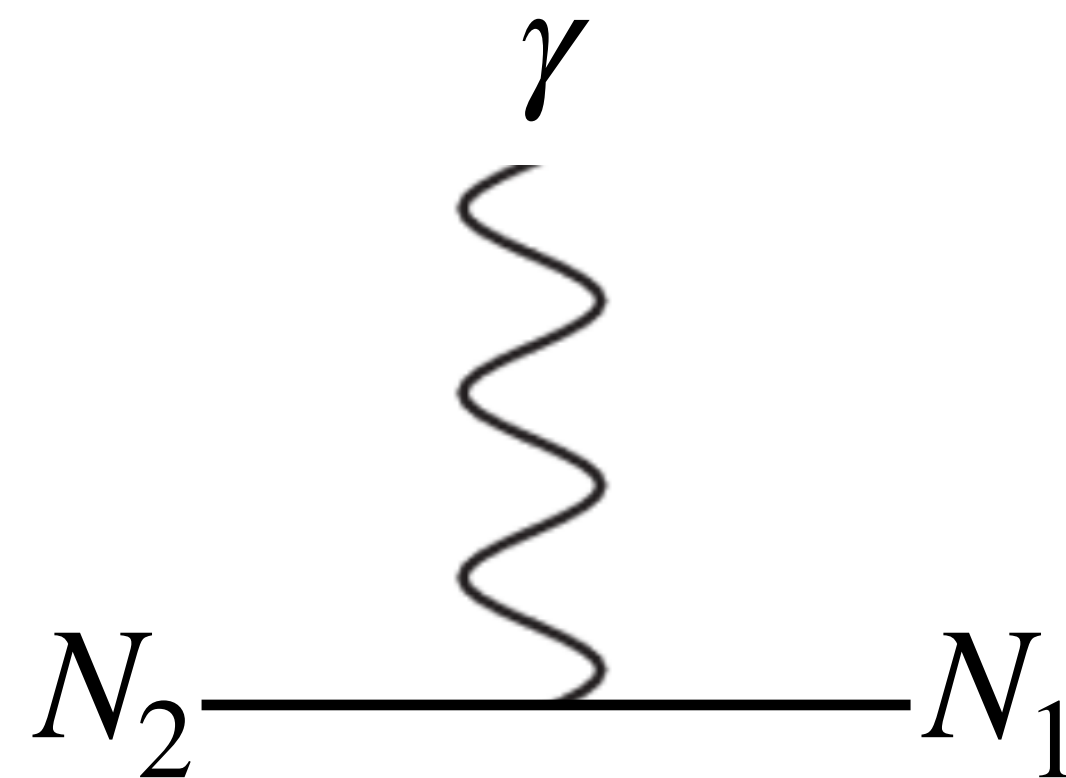
Phenomenology

Sketch of the physics

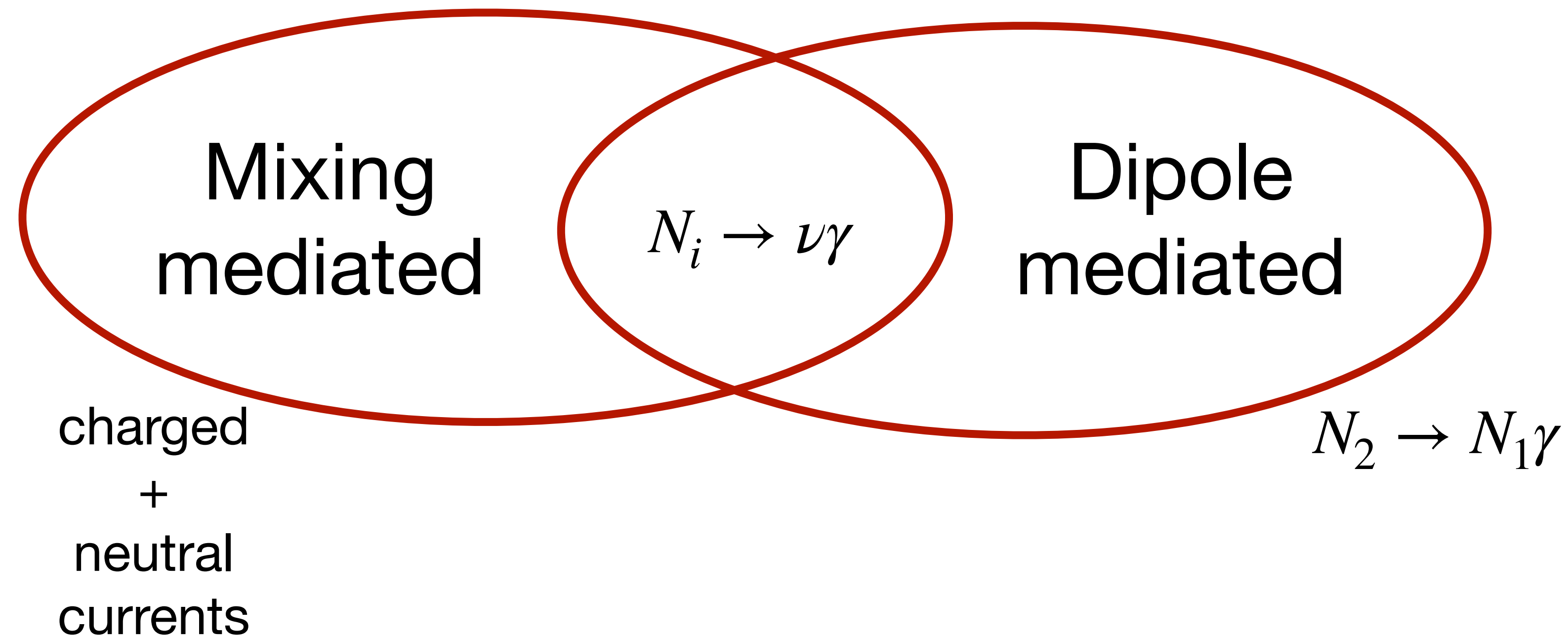
In addition to mixing-mediated charged and neutral currents

$$\mathcal{L}_{dipole} = \frac{d}{2} \vec{N}_a \sigma^{\mu\nu} \epsilon^{ab} \vec{N}_b B_{\mu\nu}$$

but $B_{\mu\nu} \supset F_{\mu\nu}$ and the photon is important at low energies



Sketch of the physics

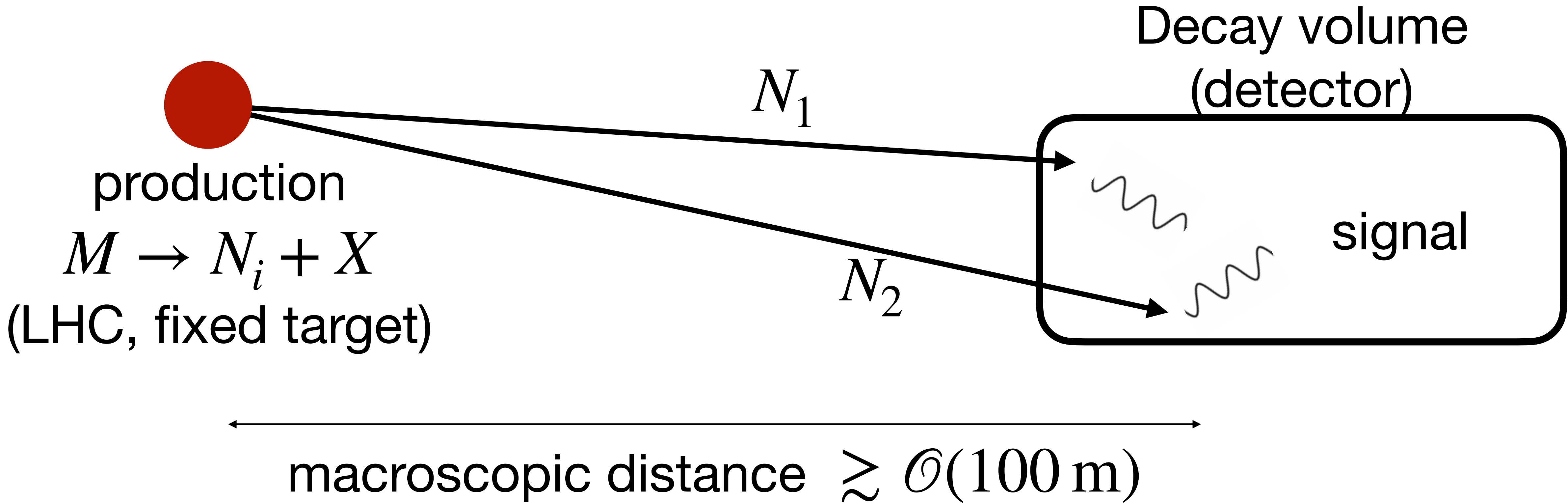


all amplitudes suppressed by $\theta \ll 1$, $dM \ll 1$ and/or δ

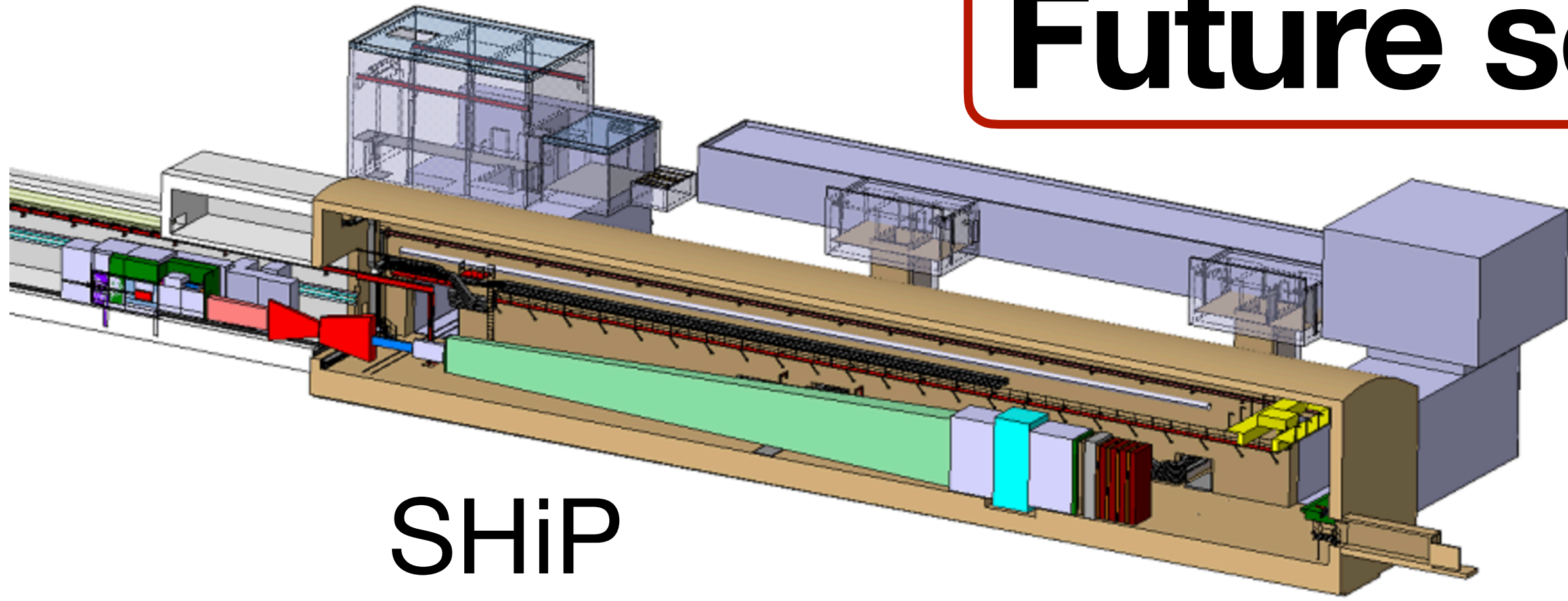
⇒ $N_{1,2}$ expected to be LONG LIVED

Sketch of the physics

INTENSITY (LONG-LIVED) FRONTIER

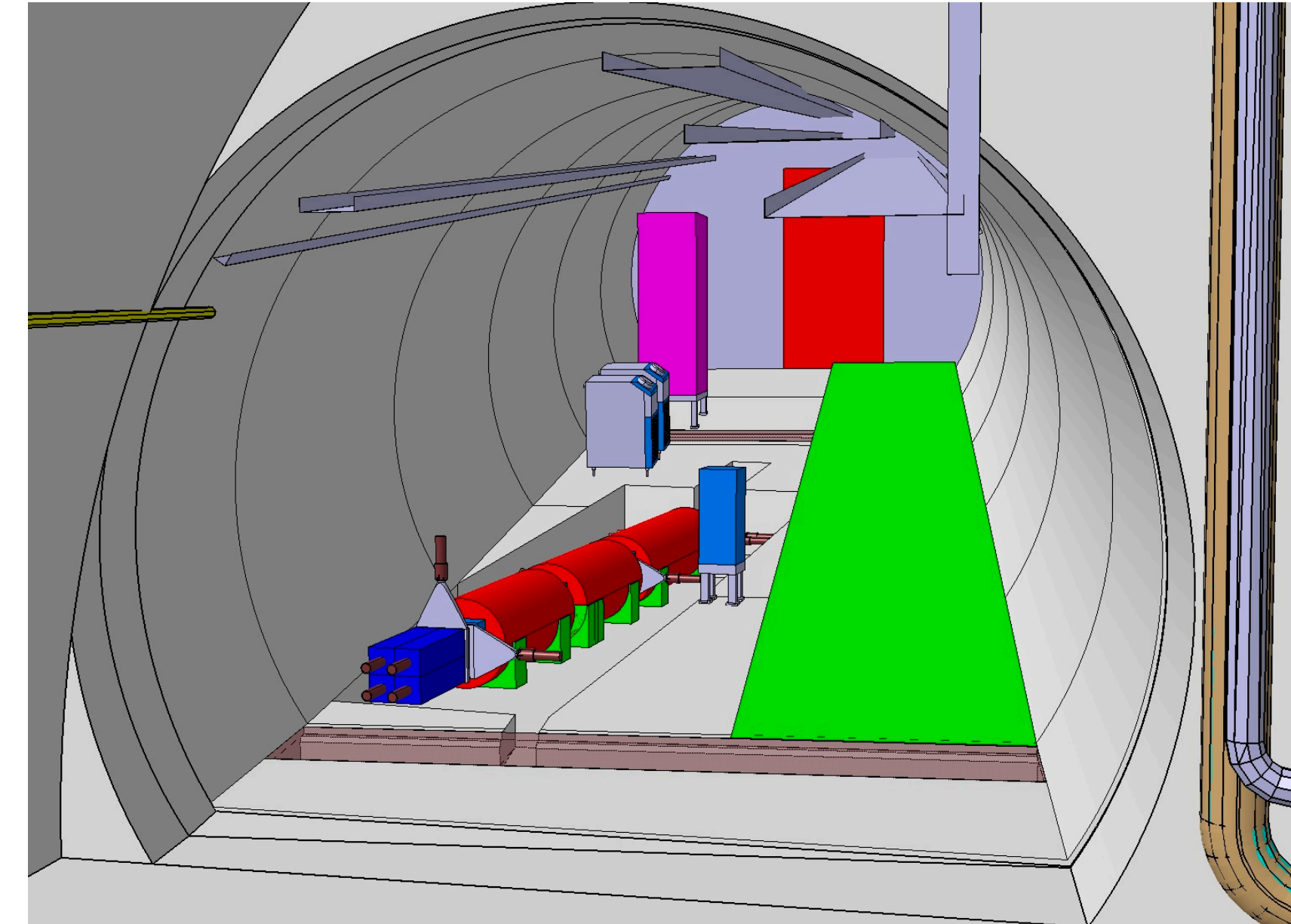


Future sensitivities



SHiP
(400 GeV)

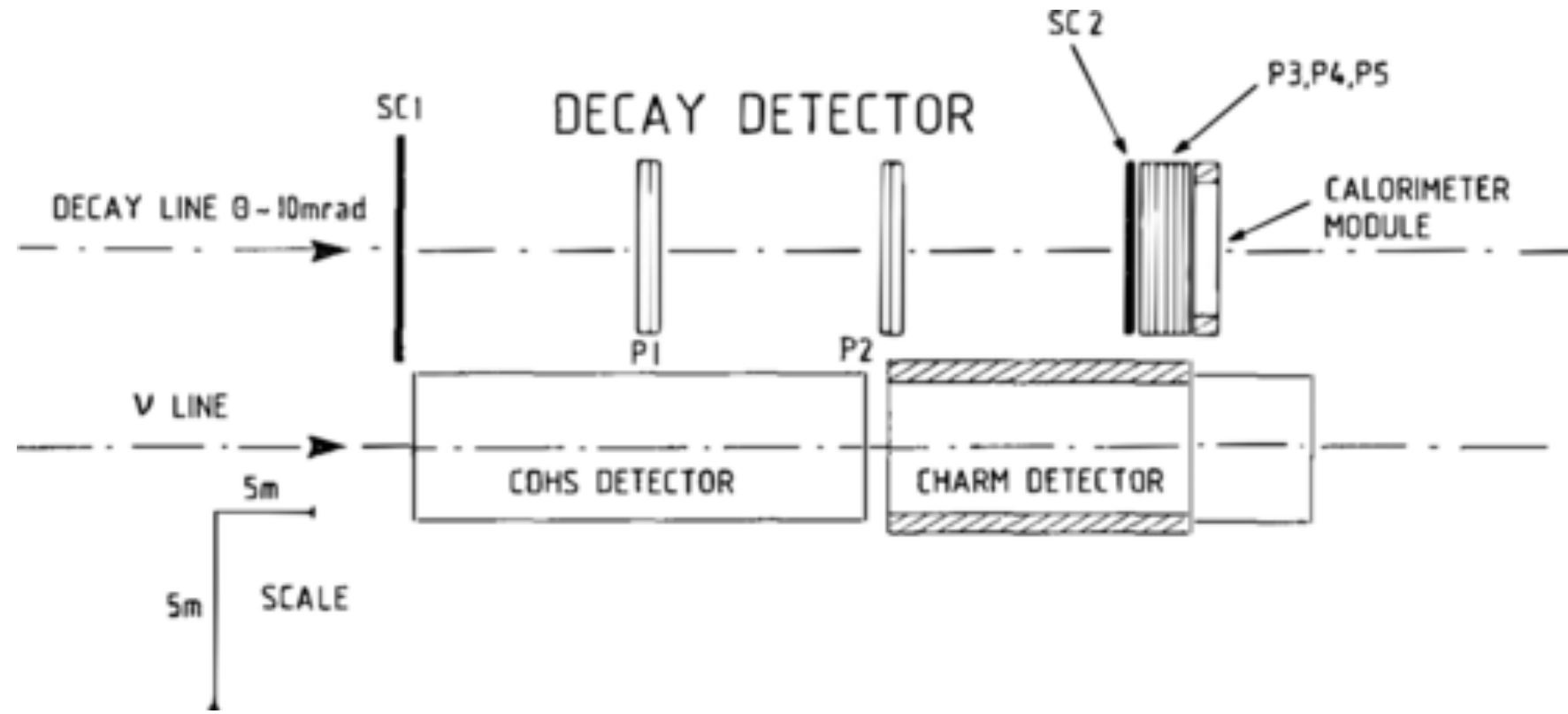
FASER
(LHC)



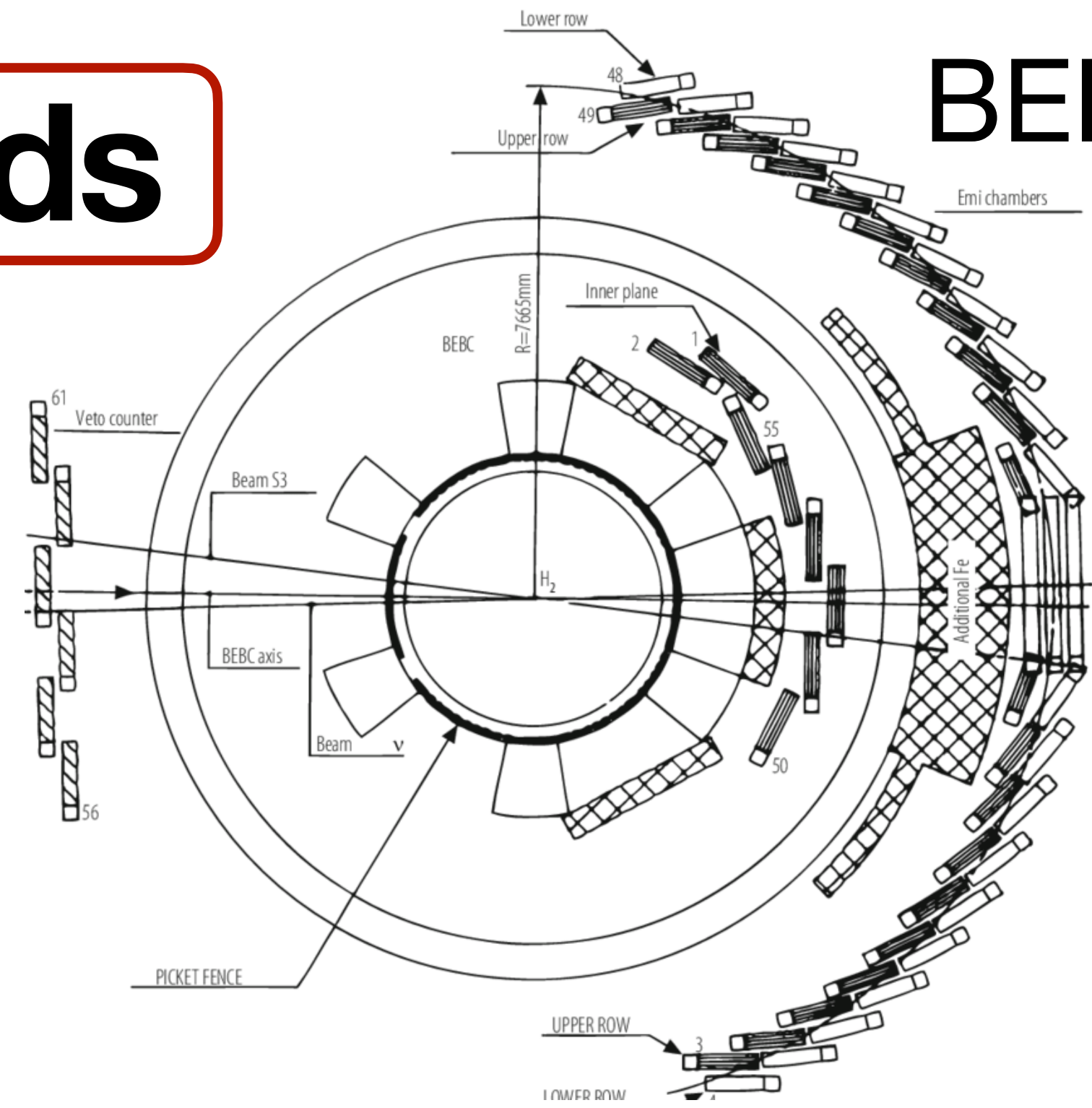
NA62 - beam dump
(400 GeV)

Other bounds

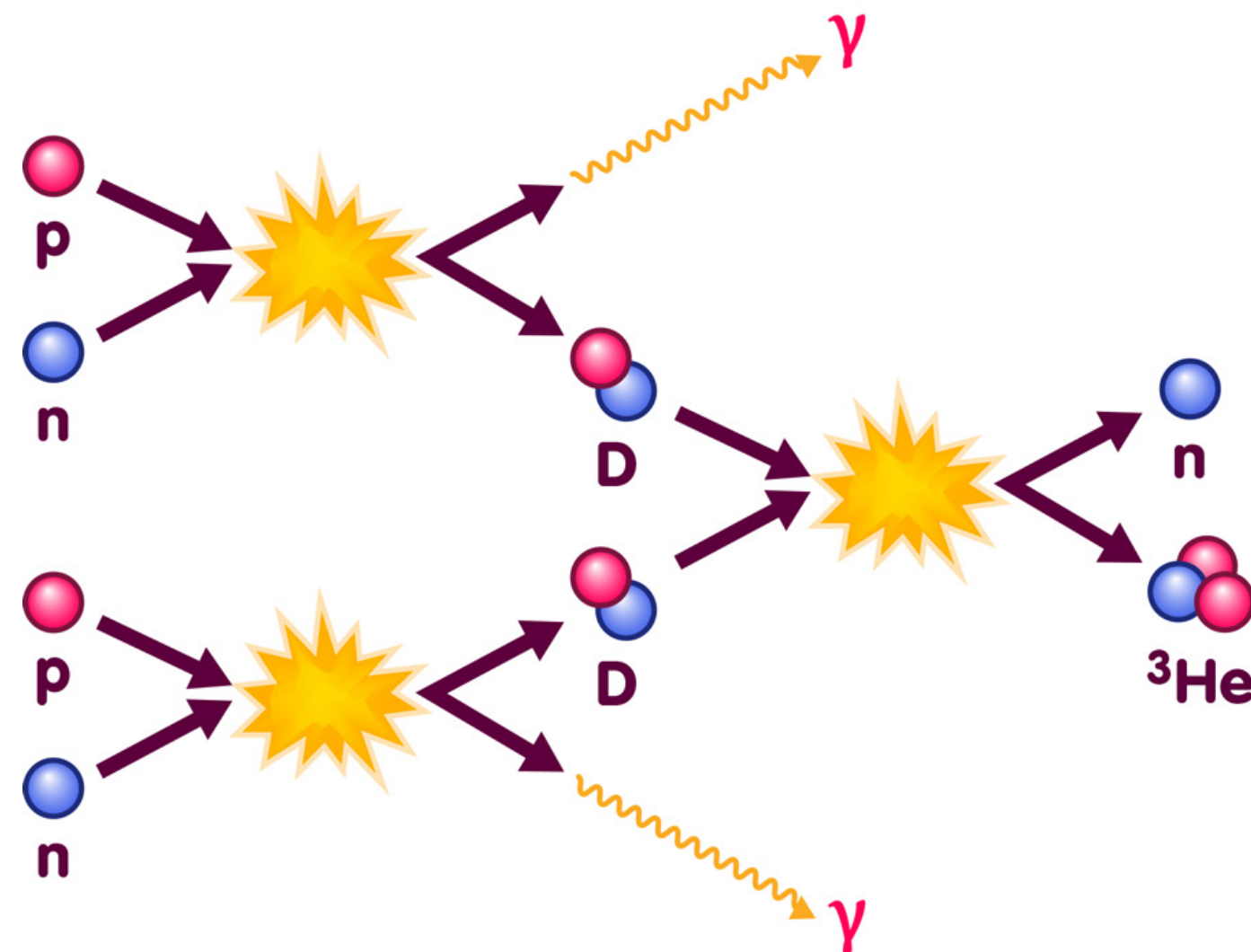
CHARM II



BEBC

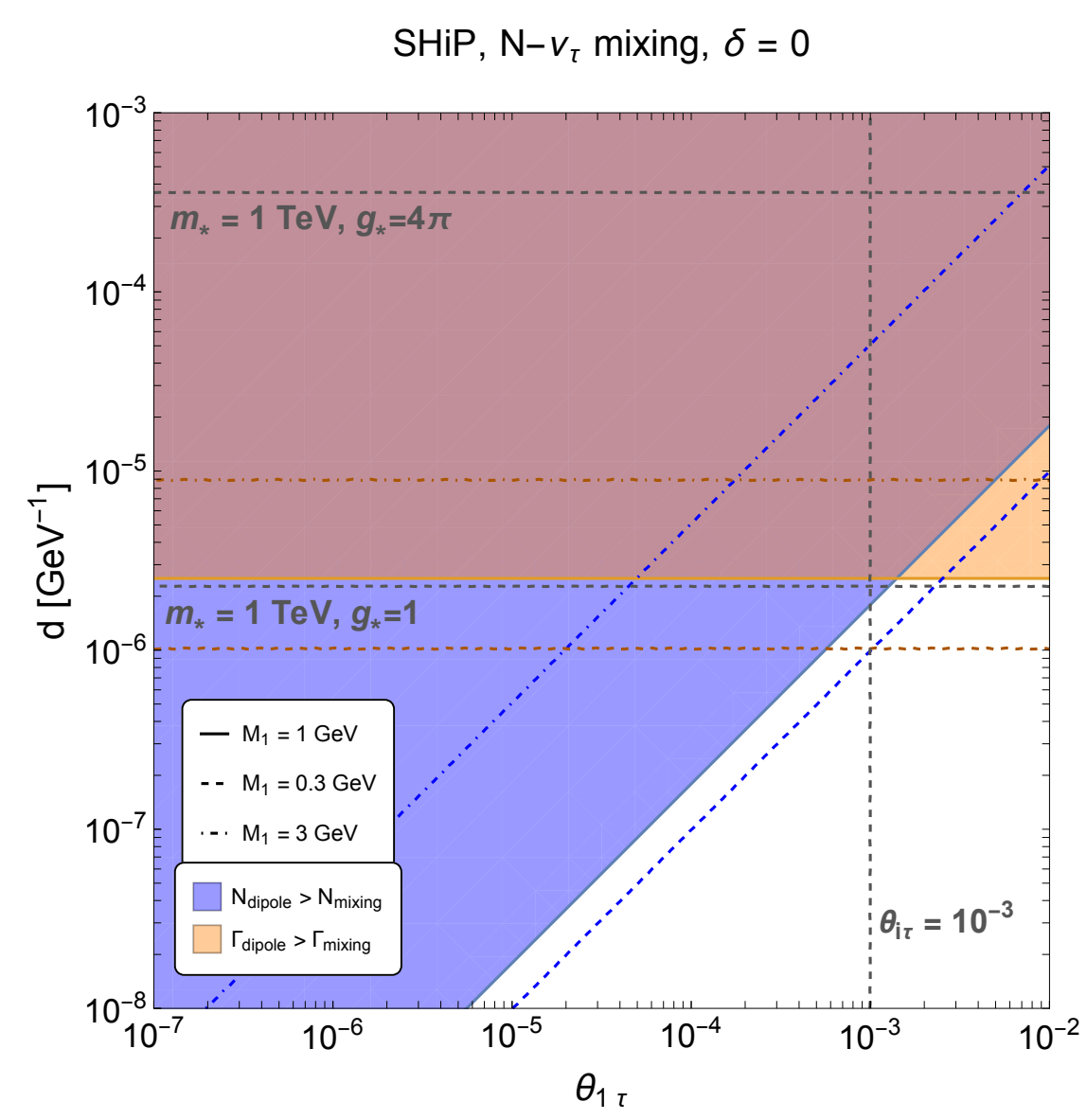
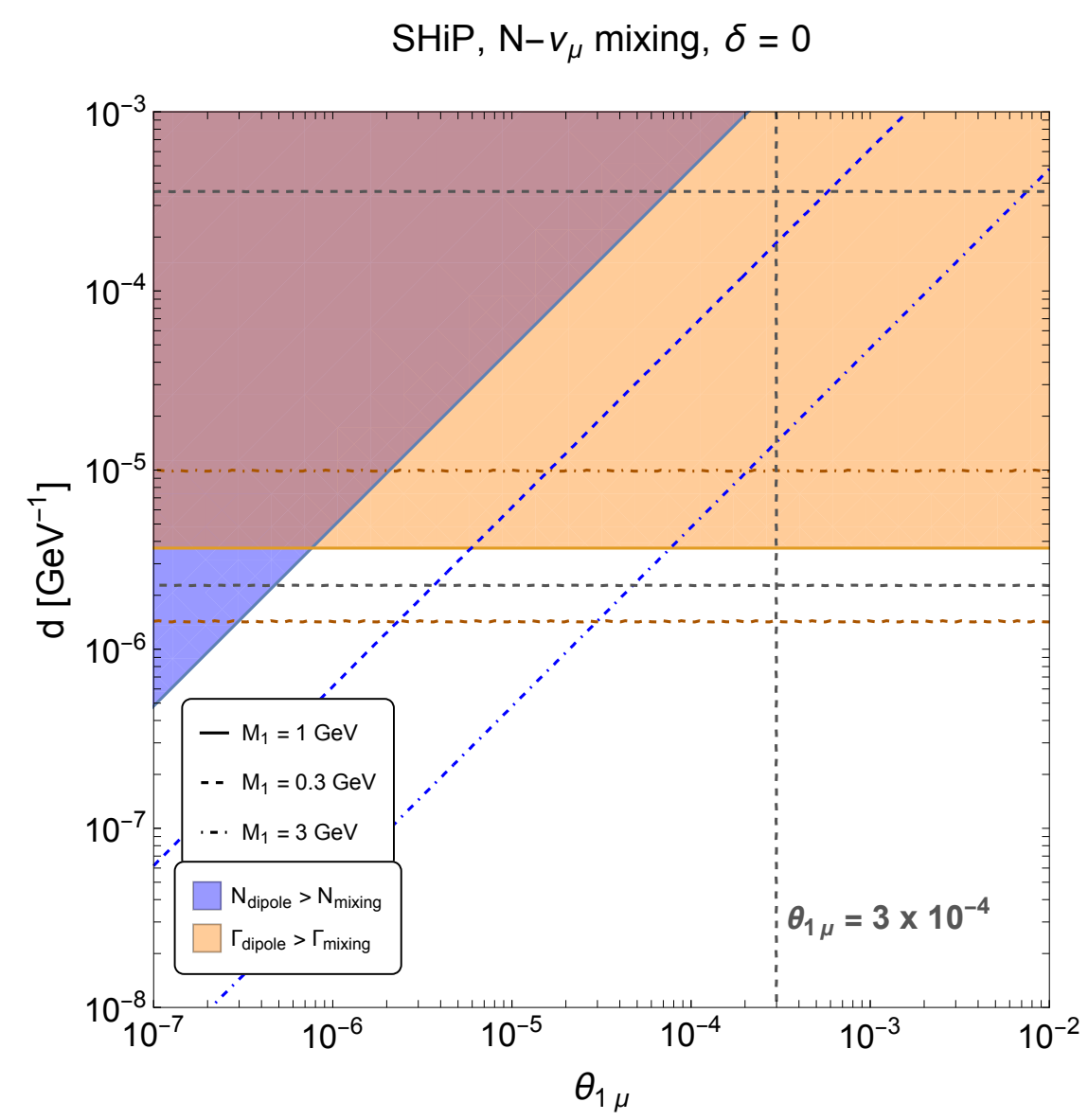
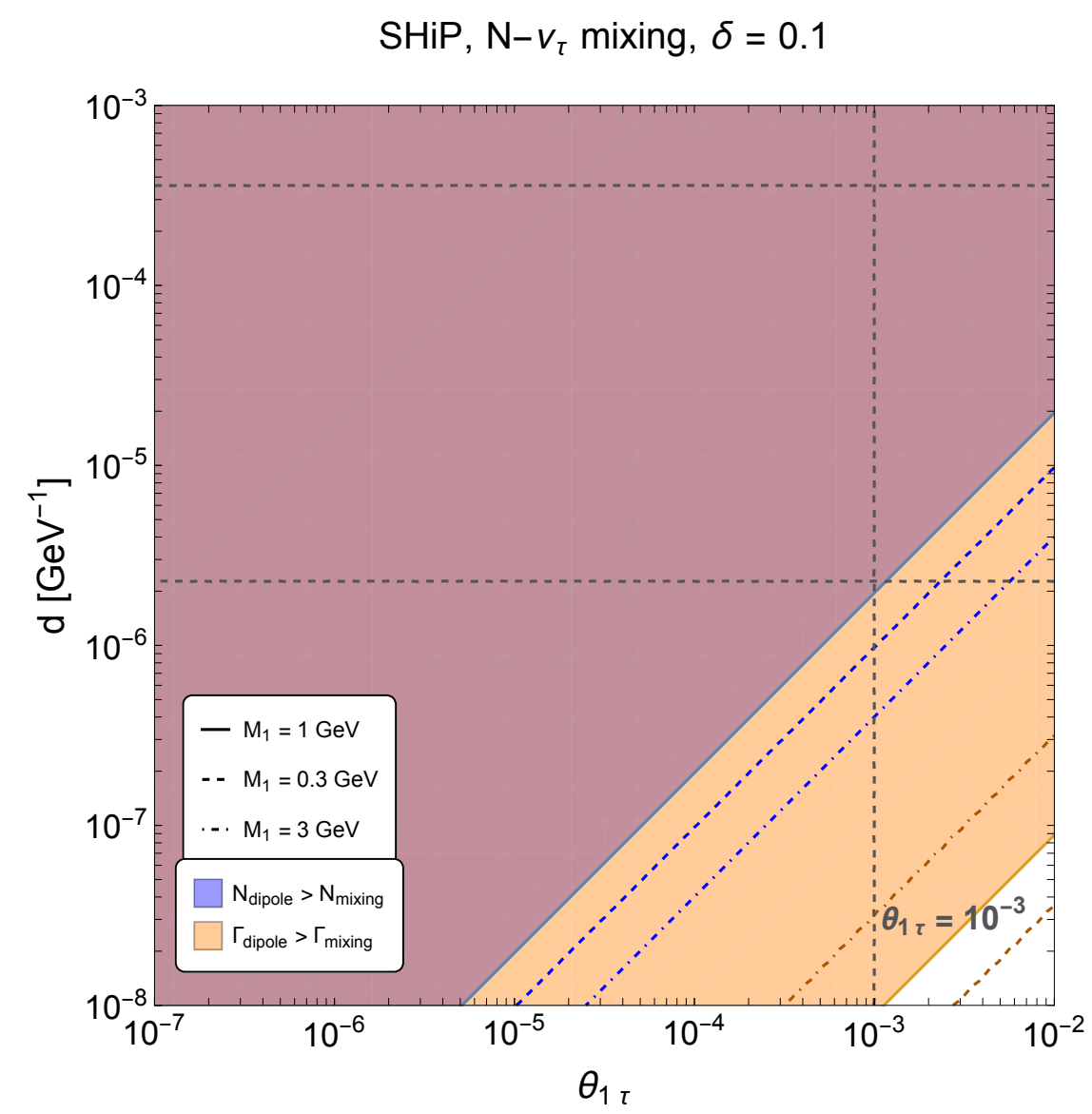
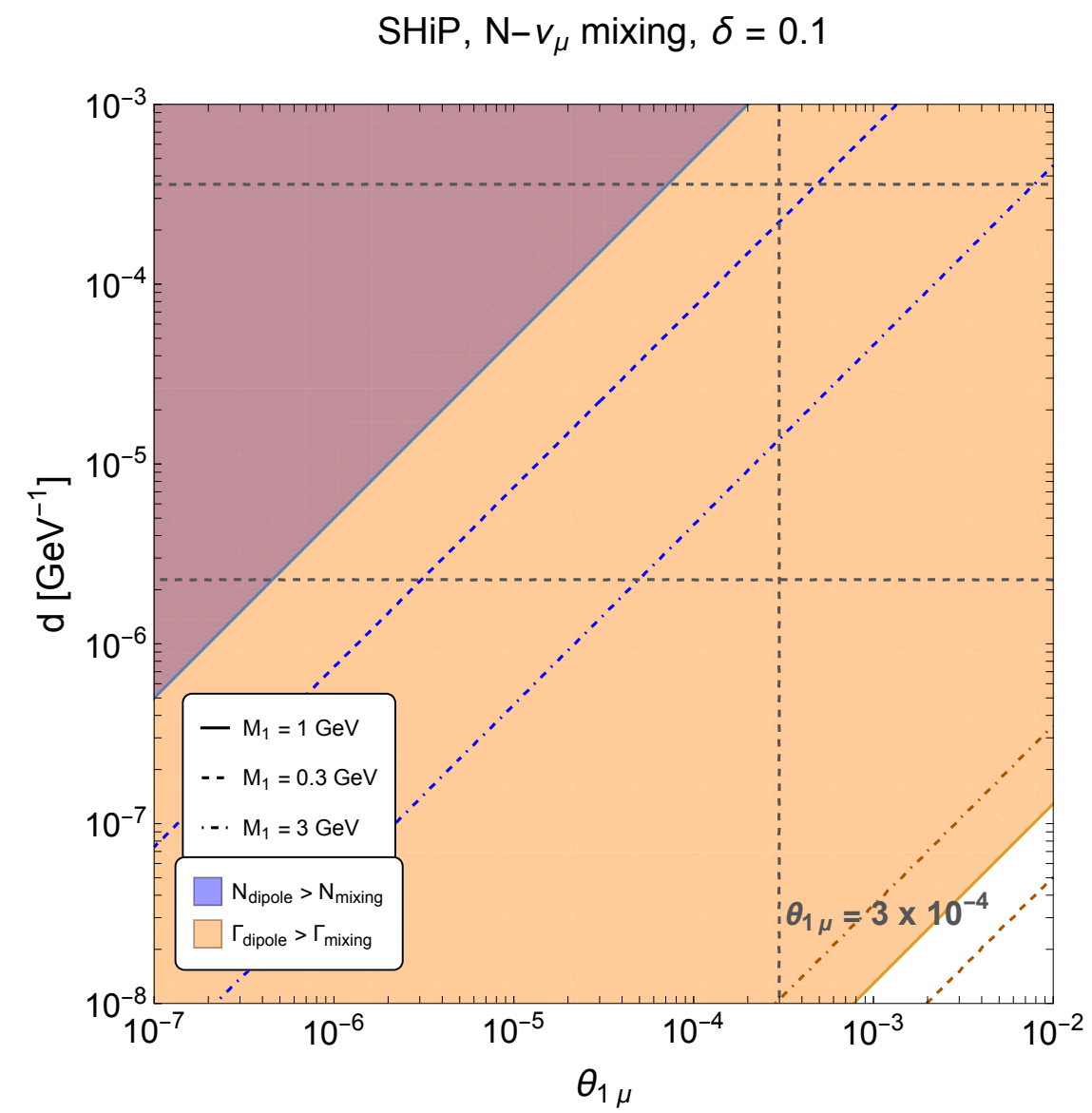


supernova explosion



BBN

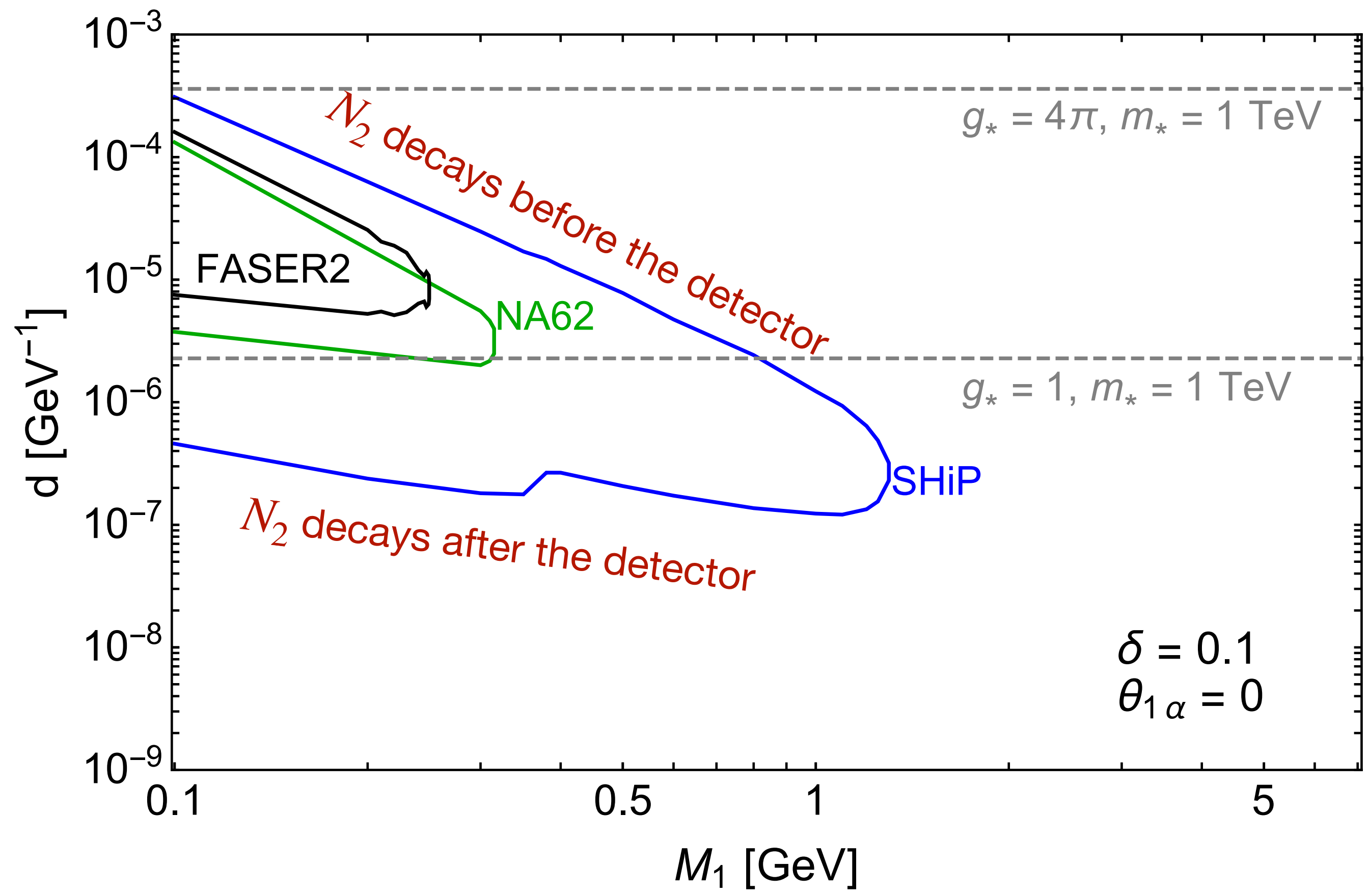
θ vs d



mixing or dipole dominance in production/decays depends crucially on parameters/flavour

see also
Barducci, B, Taoso, Toni '22
Barducci, B, Taoso, Ternes, Toni '24

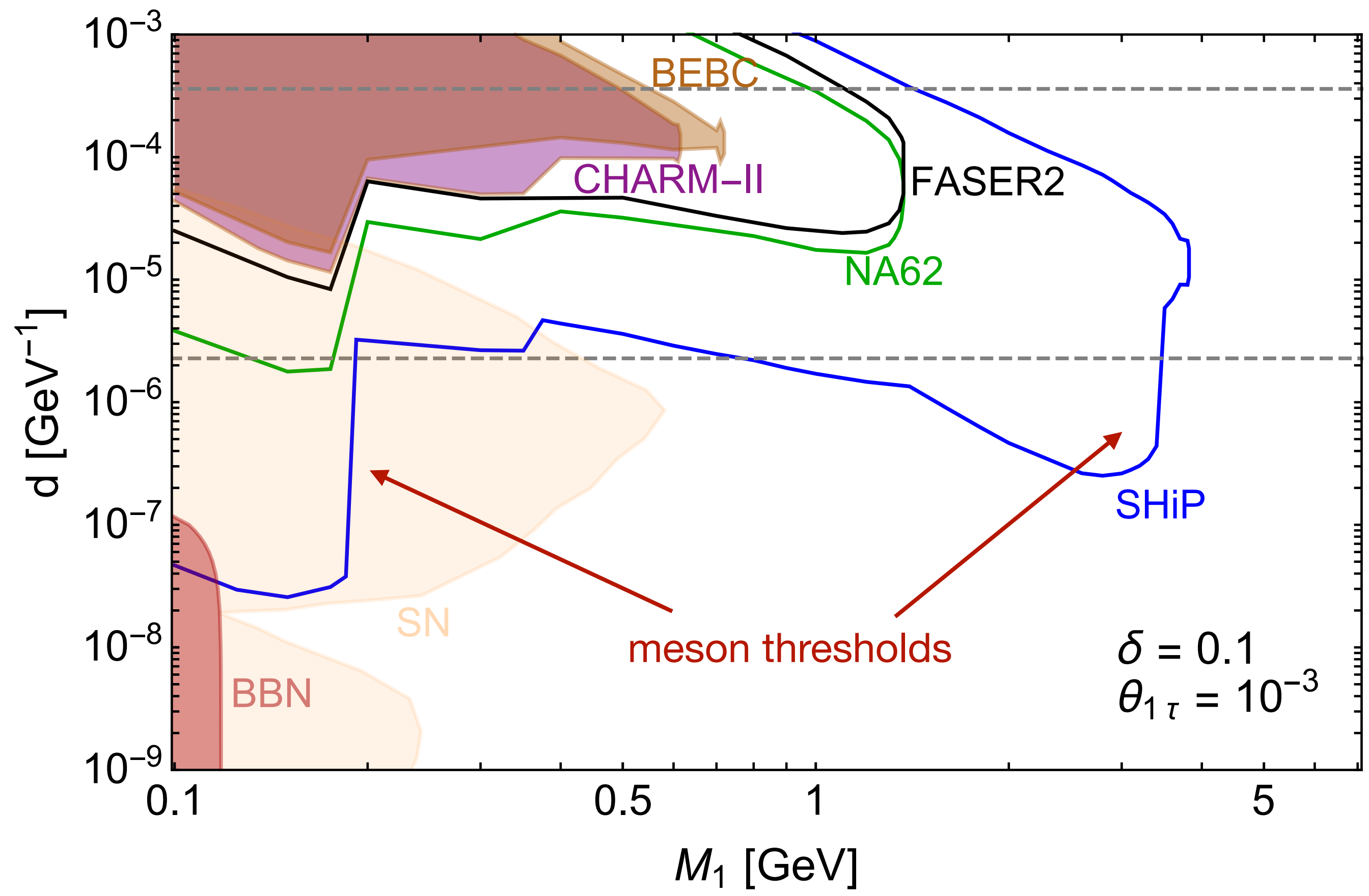
Sensitivities



- No mixing
- only $N_2 \rightarrow N_1 \gamma$ active
- 95% C.L. curves

turning on mixing?

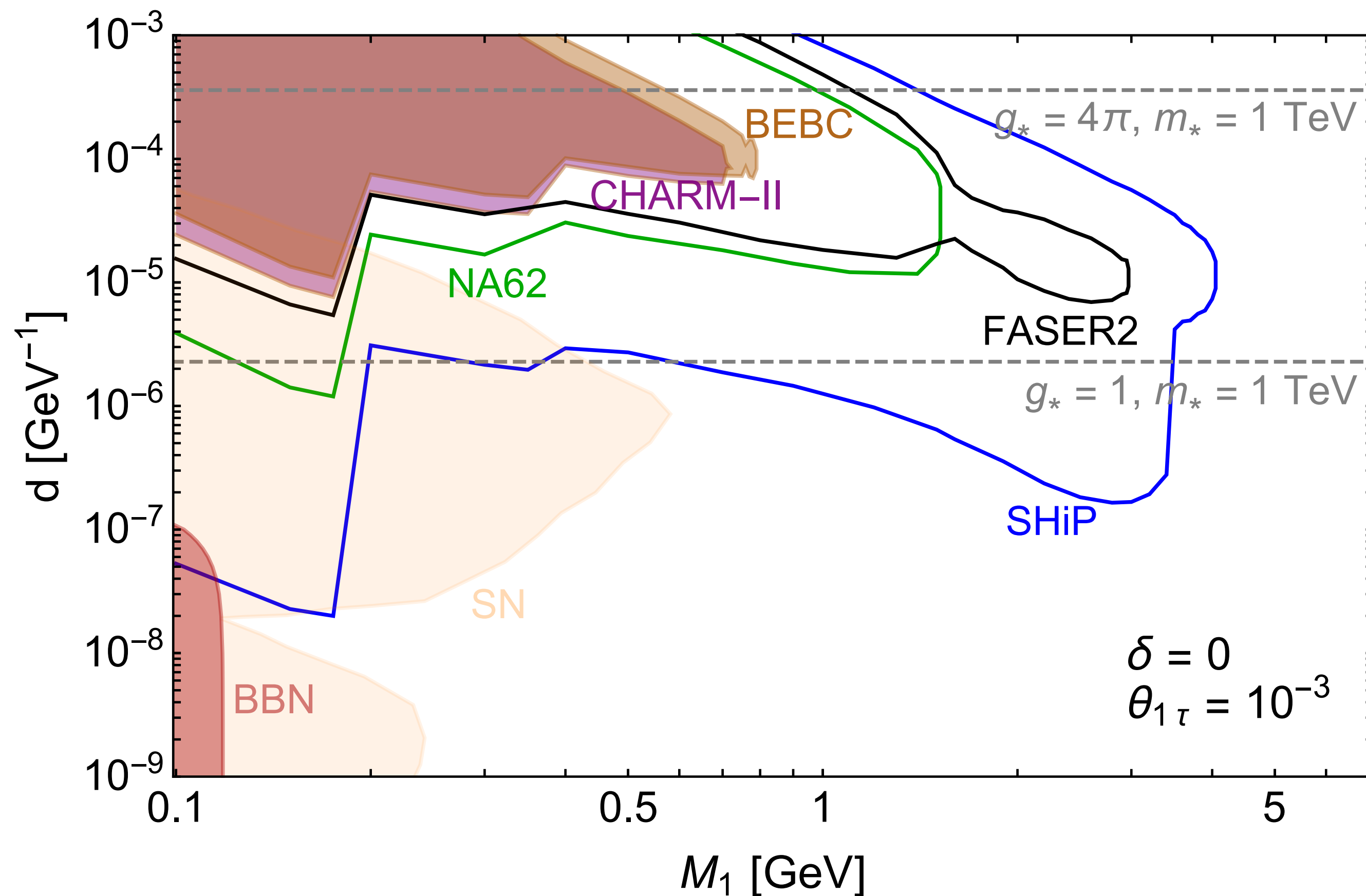
Sensitivities



- mixing with τ
- $N_2 \rightarrow N_1 \gamma, N_i \rightarrow \nu_\tau \gamma$
- 95% C.L. curves
- mixing dominates production

changing δ ?

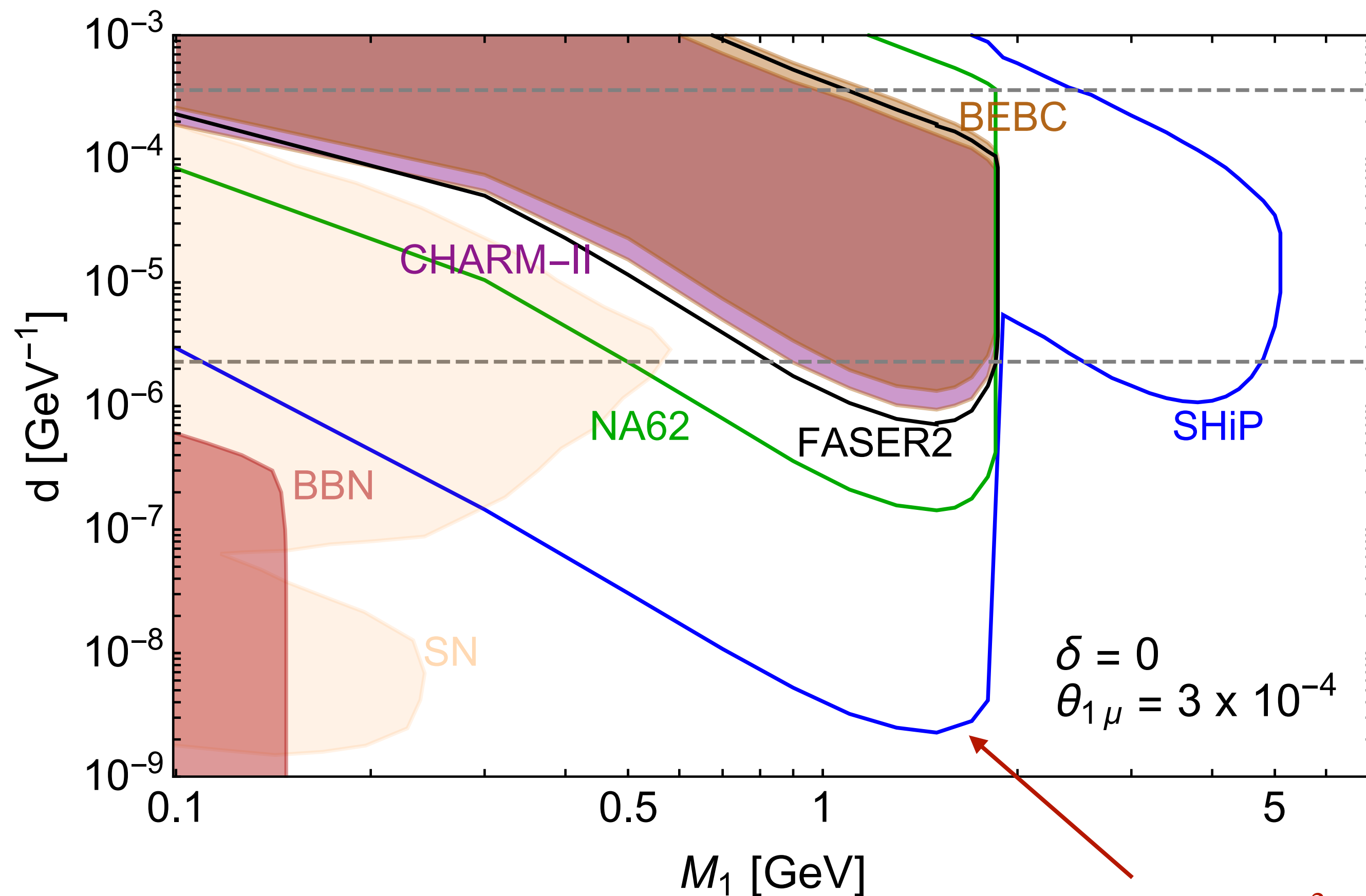
Sensitivities



- mixing with τ
- $N_2 \rightarrow N_1\gamma, N_i \rightarrow \nu_\tau\gamma$
- 95% C.L. curves
- mixing dominates production

changing flavour?

Sensitivities



- mixing with μ
- $N_2 \rightarrow N_1 \gamma, N_i \rightarrow \nu_\tau \gamma$
- 95% C.L. curves
- mixing dominates production

corresponds to $m_\star \simeq 10^3$ TeV (10^6 TeV) in weakly (strongly) coupled theories

Takeaway messages

Takeaway messages

- Interplay between dipole & mixing highly non-trivial:

strong correlation between flavour and reach

- Future intensity frontier experiments will probe unconstrained regions of parameter space
- SHiP will mark a jump in sensitivity:

up to 10^3 TeV (10^6 TeV) in weakly (strongly) coupled theories

Takeaway messages

- Bonus: when $\theta_{i\alpha} = 0$, N_1 is a DM candidate

